## $\mathbf{core}_{-}\mathbf{2}^{2,24}$

ABS: Y ycomb

ABS: 2of(t) **pi2** 

ABS: 1 of(t) **pi1** 

ABS: x(s) so\_apply1

ABS:  $x(s_1,s_2)$  so\_apply2

ABS:  $x(s_1,s_2,s_3)$  so\_apply3

ABS:  $x(s_1, s_2, s_3, s_4)$  so\_apply4

ABS:  $x(s_1,s_2,s_3,s_4,s_5)$  so\_apply5

ABS: x(a,b,c,d,e,f) so\_apply6

ABS: x(a,b,c,d,e,f,g) so\_apply7

ABS:  $x f y infix_ap$ 

ABS:  $\lambda_2 x$ . t(x) so\_lambda1

ABS:  $\lambda_2 x, y$ . t(x;y) so\_lambda2

ABS:  $t \dots$ \$L label

ABS:  $\{T\}$  guard

ABS: ??? error

ABS: Prop **prop** 

ABS: A & B cand

ABS: lexpr{i} parameter

STM:  $false\_wf$ 

STM:  $true\_wf$ 

STM:  $squash\_wf$ 

STM: guard\_wf

STM:  $unit_wf$ 

STM:  $not_wf$ 

 $STM: comb\_for\_not\_wf$ 

STM:  $rev_implies_wf$ 

 $STM: comb\_for\_rev\_implies\_wf$ 

STM: iff\_wf

STM: comb\_for\_iff\_wf

STM: nequal\_wf

 $STM: comb\_for\_member\_wf$ 

STM: member\_wf

ABS: I icomb

STM: icomb\_wf

ABS: K kcomb

STM: kcomb\_wf

ABS: S scomb

 $STM: scomb\_wf$ 

STM:  $pi1_wf$ 

STM:  $pi2_wf$ 

STM: pair\_eta\_rw

ABS: let x,y,z=a in t(x;y;z) spread3

ABS: let w,x,y,z=a in t(w;x;y;z) spread4

ABS: let a,b,c,d,e = u in v(a;b;c;d;e) spread5

ABS: let a,b,c,d,e,f = uin v(a;b;c;d;e;f) spread6

ABS: let a,b,c,d,e,f,g=u in v(a;b;c;d;e;f;g) spread7

 $\mathrm{ABS:}\cdot\mathbf{it}$ 

 $STM: it\_wf$ 

STM: unit\_triviality

ABS: Dec(P) decidable

STM: decidable\_wf

STM:  $decidable\_or$ 

 $STM: decidable\_and$ 

STM:  $decidable\_implies$ 

STM: decidable\_false

STM: decidable\_not

STM:  $decidable\_iff$ 

 $STM: decidable\_int\_equal$ 

STM:  $decidable\_lt$ 

STM:  $decidable\_le$ 

 $STM: decidable\_atom\_equal$ 

STM: iff\_preserves\_decidability

ABS: Stable  $\{P\}$  stable

 $STM: stable\_wf$ 

STM:  $stable\_not$ 

 $STM: stable\_function\_equal$ 

 $STM: stable\_from\_decidable$ 

ABS: SqStable(P)  $sq\_stable$ 

STM:  $sq\_stable\_wf$ 

STM:  $sq\_stable\_and$ 

STM:  $sq\_stable\_implies$ 

STM:  $sq\_stable\_\_iff$ 

STM:  $sq\_stable\_\_all$ 

STM:  $sq\_stable\_\_equal$ 

STM:  $sq\_stable\_\_squash$ 

 $STM: sq\_stable\_from\_stable$ 

STM:  $sq\_stable\_\_not$ 

 $STM: sq\_stable\_from\_decidable$ 

ABS: XM xmiddle

STM:  $xmiddle_wf$ 

STM: squash\_elim

STM: dneg\_elim

STM:  $dneg_elim_a$ 

STM:  $iff_symmetry$ 

STM: and\_assoc

STM: and  $\operatorname{\hspace{0.3mm}comm}$ 

 $STM: or_assoc$ 

STM: or\_comm

STM: not\_over\_or

STM: not\_over\_or\_a

STM: not\_over\_and\_b

STM:  $not\_over\_and$ 

STM: and  $false_l$ 

STM: and\_false\_r

STM: and\_true\_l

STM: and\_true\_r

 $STM: or_false_l$ 

 $STM: or_false_r$ 

STM: or\_true\_l

STM: or\_true\_r

STM:  $exists\_over\_and\_r$ 

STM:  $not\_over\_exists$ 

STM: equal\_symmetry

STM: iff\_transitivity

STM:  $implies\_transitivity$ 

 $STM: and\_functionality\_wrt\_iff$ 

STM: and\_functionality\_wrt\_implies

STM:  $implies\_functionality\_wrt\_iff$ 

 $STM: implies\_functionality\_wrt\_implies$ 

STM: decidable\_functionality

STM: iff\_functionality\_wrt\_iff

STM: all\_functionality\_wrt\_iff

 $STM: all\_functionality\_wrt\_implies$ 

STM: exists\_functionality\_wrt\_iff

STM:  $exists\_functionality\_wrt\_implies$ 

STM: not\_functionality\_wrt\_iff

 $STM: not\_functionality\_wrt\_implies$ 

STM: or\_functionality\_wrt\_iff

STM: or\_functionality\_wrt\_implies

 $STM: squash\_functionality\_wrt\_implies$ 

STM: squash\_functionality\_wrt\_iff

STM: implies\_antisymmetry

STM: gen\_hyp\_tp

ABS: let x = a in b(x) let

 $STM: let_wf$ 

ABS:  $[x]{T}$  type\_inj

ABS:  $\in x:T$ . P(x) choicef

STM: choicef\_wf

STM: choicef\_lemma

STM: fun\_thru\_spread

STM: spread\_to\_pi12

ABS:  $\{a:T\}$  singleton

STM:  $singleton_wf$ 

STM:  $singleton\_properties$ 

ABS:  $\{!x:T \mid P(x)\}$  unique\_set

STM: unique\_set\_wf

ABS: a = !x:T. Q(x) uni\_sat

STM: uni\_sat\_wf

STM: uni\_sat\_imp\_in\_uni\_set

STM:  $sq\_stable\_uni\_sat$ 

STM: comb\_for\_pi1\_wf

 $STM: comb\_for\_pi2\_wf$